SOLVING GEOMETRICAL LOCUS PROBLEMS USING DYNAMIC INTERACTIVE GEOMETRY APPLICATIONS

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1. Introduction

letrical locus is mathematically defined as the set of all points or lines that satisfy or are determined by conditions. Even this definition seems to be a clear one, geometrical problems which proposed the ng of a locus have proved to be not so simple for be solved by pupils || . Practically, most of pupils fliculties when demonstrating a geometrical locus. To tackle these kinds of problems when teaching, it started to the idea that all the geometrical locus problems are integrated in the family of prehims with tent conditions. More than that, the geometrical locus problems look like the problems (theorems) which call are true. In this sense, the pupils have to know clearly the theorem structure, the way of its tion and the fact that a reciprocal proposition becomes a reciprocal theorem if this is demonstrated as resence, the geometrical problems where the locus is known are problems in which a multitude of plan s defined in two ways, for the pupils remaining the task to demonstrate that those two multitudes are that's why, from the methodological point of view, the teacher's responsibility has to be focused on the knowledge concerning the definition of two equal multitudes and the theorem equivalent with that no [27]

2. The VccSSe Project

teachers from pinnary and sectorially schools involved in Sciences subjects in the partners countries, inlany, the training materials presented four selected Virtual Instrumentation environments (LabView, Crocodile Clips, Cabri Geometry and GeoGebra). 41 and the participants - having also in view their background - were required to choose one of the software environments for understanding its main functions and creating at least one learning object that has to include a Viapplication.

The Training Modules were provided using the Module (Modular Object-Oriented Dynamic Learning Environment) e-learning platform [6], [6]. VacSSe training modules tutors and participants experienced the Module's course organisation and features and expressed their opinions in specific discussions.

3. Cabri Geometry II Plus Software

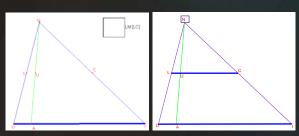
abri Geometry II Plus allows the dynamically exploration of Euclidian, transformational and coordinate geometry. It makes the Mathematics concepts easier to learn thanks to its kinaesthetic learning approach. The geometric figures, quations or graph functions are easy to be created on the Cabri screen, practically becoming manipulable objects. In this way, the software gives to pupils the tools and motivation to dig deeper and actively explore and also to be eative contrasting the traditional inactive methods and those based on using the pencil and the paper 17. As a geometrical shape can be simply modified through translation, the user can visualize infinity of geometrical onstructions on the screen, with the same characteristics but with different shapes. Each geometrical shape produced with Cabri Geometry II Plus represents in fact a class of geometrical constructions with common geometrical or structure a strategy for solving a problem and build a strategy for obtaining the results in many ways. At the same time, Cabri offers a set of instruments necessary for student's self-evaluation and self-control. Finally, Cabri sustains a development in the interaction between the visual and conceptual elements of the geometrical logics. Euclents can create and verify their hypothesis, create alternatives for the geometrical construction or can submit the images into document processors and send them on the Internet via Cabri Java 18, 19.

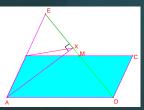
4. Examples of Solving Geometrical Locus Problems with Cabri Geometry II

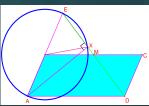
et the triangle NOI fixed and A, a mobile point on the line [OI]. Find the geometrical locus of U_i the middle of

Let the parallelogram *ABCD* with the *A* and *B* points as fixed ones and *C* and *D* points as mobile ones, so that the line *DC* becomes parallel with *AB*. Find the geometrical locus point *X* - the projection of the *A* point on the line limited by points *D* and *M* (the middle point of [*BC*]).

limited by points D and M (the middle point of [BC]). The geometrical locus is represented by the circle which has the centre in the B point and AB as circle ray (where the points A and E – diametrically opposite – are excluded). From D illustrates the geometrical constructions obtained using Cabri Geometry II software. The second graphical representation illustrates the situation in which the solver can follow the moving of X point on a circle with B point as centre and BX = AB as ray. An important advantage is offered by the using of colours for drawing the figures to fill inside the geometrical construction. The colours are recommended to be used in order to draw attention on the essential elements of the problem and to ease the understanding and memorizing of the basic principles of the problem.







5. Conclusion

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